



Persistent firing and oscillations in the septo-hippocampal system and their relation to locomotion

Karolína Korvasová

Information

Band / Volume 86

ISBN 978-3-95806-654-0

Forschungszentrum Jülich GmbH
Institute of Neurosciences and Medicine (INM)
Computational and Systems Neuroscience (INM-6)
& Theoretical Neuroscience (IAS-6)

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Schriften des Forschungszentrums Jülich
Reihe Information / Information

Band / Volume 86

ISSN 1866-1777

ISBN 978-3-95806-654-0

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